

Optimal Regulation of Lumpy Investments

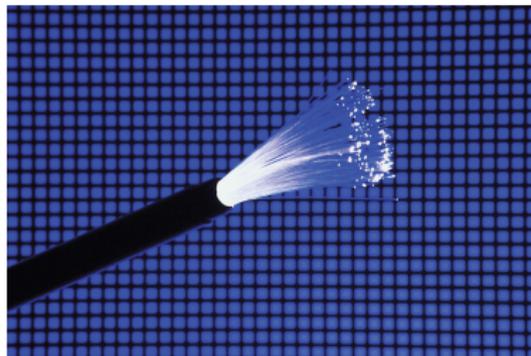
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The problem



New network investment

- Need for large, one-off (lumpy) network upgrades
- to meet uncertain future demand

How to ensure optimal timing?

- Debate: strict price caps (efficiency)
- versus rents (investments)

Our aim

Real option theory

Investment under uncertainty

(Dixit & Pindyck, 1993)

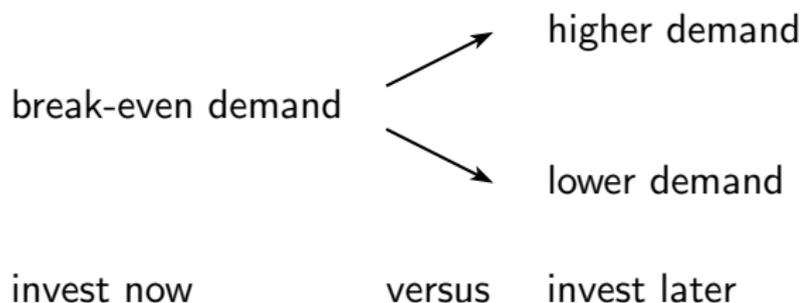


Optimal regulation

Mechanism design

(Laffont & Tirole, 1993)

Optimal timing under uncertainty: Real options



The value of waiting

Waiting with investment means preserving a valuable option

- Optimal investment delayed, take into account opportunity costs of option value
- McDonald-Siegel (1984), Dixit-Pindyck (1993)
- but monopolist: waits too long!

The regulator's two problems

- 1 make sure the monopolist invests at right moment
- 2 make sure that monopolist does not charge too much

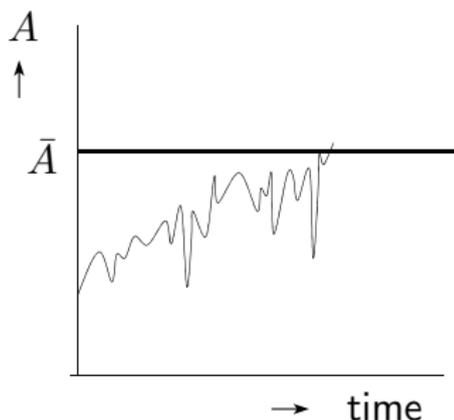
What is the optimal regulation?

- allowing monopolist to break even, at least

Mechanism design question!

Model

- Single lumpy investment (cost c)
- stochastic demand A



- with elasticity $\eta \Rightarrow$ measures deadweight loss

First-best: a benchmark

- 1 Set $p =$ marginal costs
- 2 Choose social surplus optimizing demand level \bar{A} at which to invest:
 - Solve for the real options problem of finding the optimal investment threshold \bar{A}

$$\bar{A}^{fb} > \text{breakeven value}$$

(Delay grows as volatility grows.)

- 3 Instruct the monopolist to invest when demand $= \bar{A}^{fb}$

Second-best: monopolist has to recover costs

- make sure expected revenues cover monopolist's investment cost: $p > 0$
- but this reduces surplus upon investment (dead-weight loss)
- so optimal investment delayed

Choose demand level \bar{A} and p jointly to maximize utility subject to $\Pi(\bar{A}, p) = c$:

$$\bar{A}^{sb} = \frac{\bar{A}^{fb}}{1 - \eta}$$

Note:

The regulator optimally sets both \bar{A} and p
Setting only p delays investment (Dobbs, 2004)

Adverse selection

We now introduce asymmetric information on investment costs

- $c \in [c_L, c_H]$ with distribution $F(c)$

Second best is not incentive compatible

Recall second-best:

- higher costs means investment further delayed (i.e. higher \bar{A})
- and higher revenues to compensate higher costs

Also attractive to low cost firms...

- So all firms have incentive to claim they have high costs

How to induce truth-telling?

Solution: pay people to tell the truth

- offer higher reward (higher price) for low cost types

But high prices are costly too: deadweight loss

Solution (continued):

- excessively delay high cost types' investment
- so that low cost firms prefer high price now to lower price (but greater demand) later

But this distorts high cost types' investment timing...



Optimal regulation: the trade-off

- higher reward p for low cost firms creates dead-weight loss
- higher \bar{A} (delay) for high cost firms is inefficient

The optimization

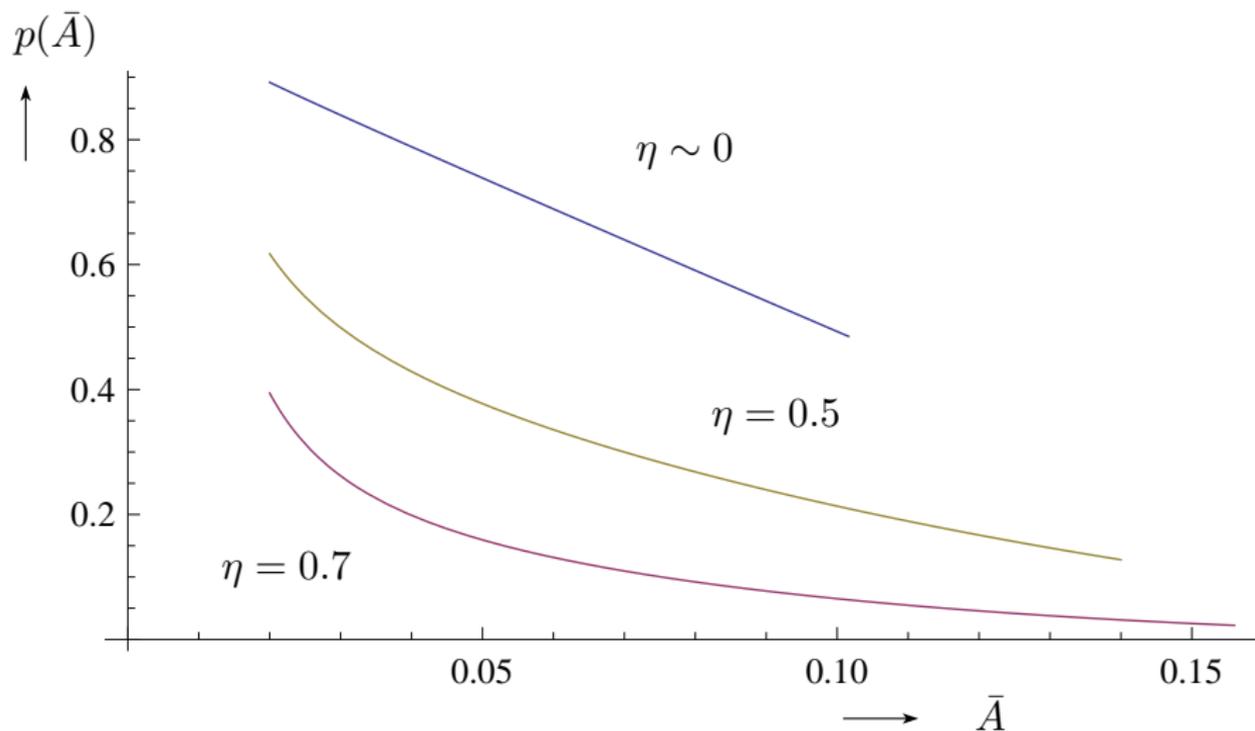
$$\max_{p(c), \bar{A}(c)} \underbrace{\mathbf{E}_c \mathbf{E}_{A(t)}}_{\text{expectation}} \left[\underbrace{V(p(c), \bar{A}(c))}_{\text{discounted cons surplus}} + \underbrace{\Pi(p(c), \bar{A}(c), c)}_{\text{discounted profits}} \right]$$

subject to incentive compatibility:

$$\text{condition on } \frac{d\Pi}{dc}$$

Optimal control problem!

Optimal regulation: Example Uniform distribution



Concluding remarks

If we worry about investment delay in network infrastructure

- instruct monopolist when to invest
- or give him the incentives to invest in timely manner!